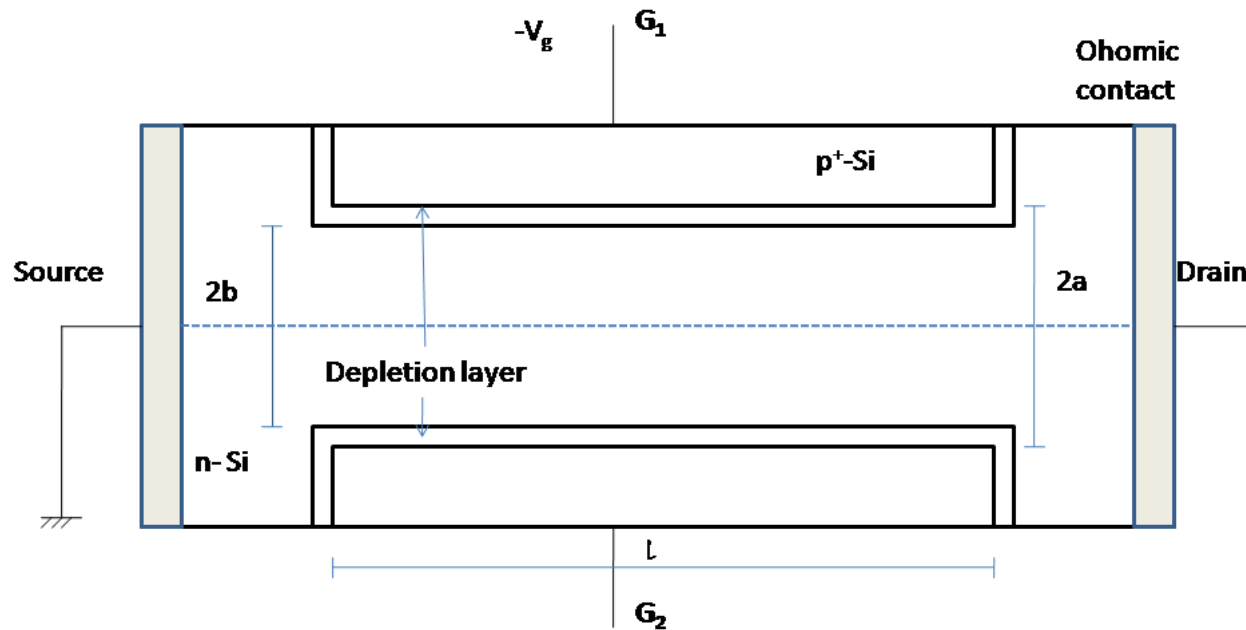


# Field effect Transistor



## Configuration of JFET

JFET configuration consisting of a single crystal n type semiconductor bar with Ohmic contacts at both ends and two p<sup>+</sup> contacts are applied at opposite sides. The two p<sup>+</sup> regions  $G_1$ ,  $G_2$  are called gates and shorted at the left hand contacts. A small positive drain voltage  $V_d$  is applied at the right hand electrode (Drain) to the left hand electrode (source), As a result a current flows.

Let us first consider the special case when the drain voltage is extremely small.

In this case we may ignore any potential variation over the length of channel so the reverse potential between gate and channel constants at all points, As such channel cross section regarded to remain constant through out. Since the channel is lightly doped

Most the depletion layer widening take place over it. In that case width  $d_n$  of depletion ;layer is given by

$$d_n = (a - b) = \left[ \frac{2\epsilon_s (\Psi_0 + V_g)}{qN_d} \right]^{\frac{1}{2}} \quad 1$$

A pinch off is said to occur when the gate voltage  $V_g$  is in sufficient magnitude to reduce the channel thickness  $b$  to 0.

writing  $V_p = V_g$  in above equation

$$V_p = \left[ \frac{qN_d a^2}{qN_d} - \Psi_0 \right] \quad 2$$

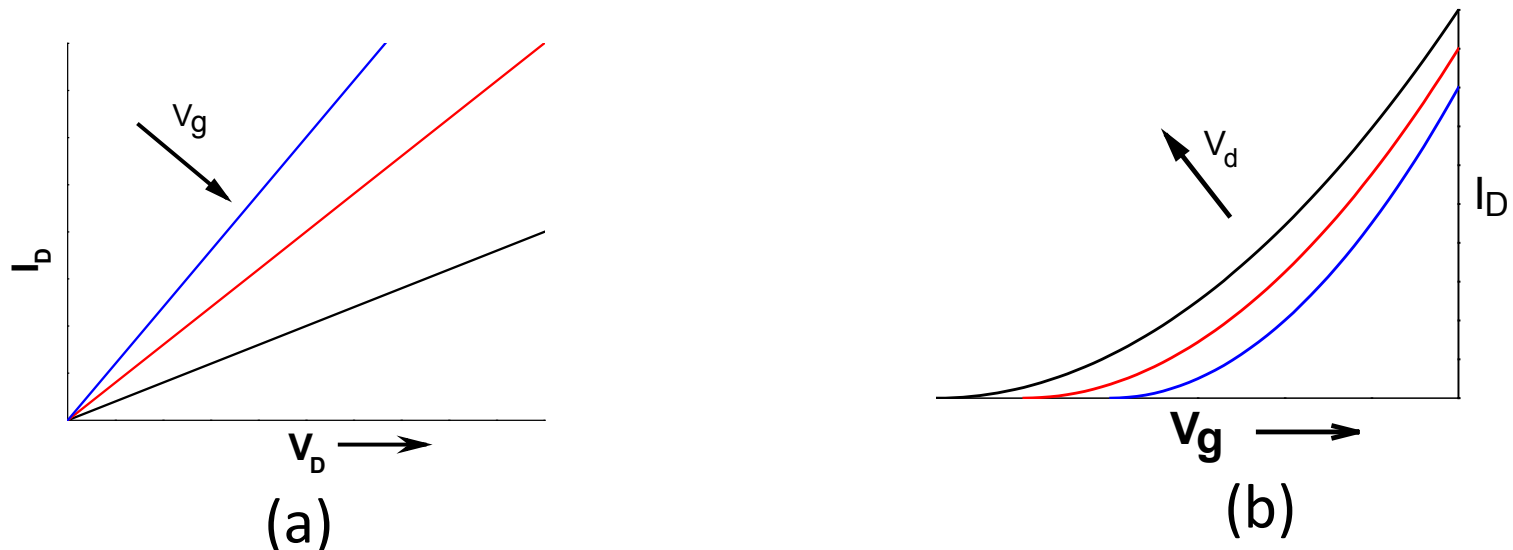
On substituting  $qN_d/2\epsilon_s$  from equation 2 to 1

$$b = a \left[ 1 - \left( \frac{\Psi_0 + V_g}{\Psi_0 + V_p} \right)^{\frac{1}{2}} \right] \quad 3$$

The channel conductance under a gate bias  $V_g$  may then be expressed as

$$G = \sigma_n \frac{2bW}{l} = \frac{2q\mu_n N_d W a}{l} \left[ 1 - \left( \frac{\Psi_0 + V_g}{\Psi_0 + V_p} \right)^{\frac{1}{2}} \right] \quad 4$$

Where  $W$  denote the width of the FET perpendicular to the plane of the paper



Static characteristics of a JFET for smaller drain voltage

(a) Drain characteristic

(b) Transfer characteristics

## When the applied drain voltage is large

so that potential drop over the channel length is not negligibly small the reverse bias across the gate and a point in the channel as one moves from the drain to source decreases . Consequently the depletion layer assumes the shape of a characteristic wedge which tends to converge toward drain of FET. To analysis its general mode of operation we will concentrate upon lean infinitesimal length  $\Delta x$  of the channel at that particular point becomes  $[V_g+V(x)]$ . We may also treat the channel to be uniform cross section because it has an infinitesimal length  $\Delta x$  .Regarding the voltage drop to be  $\Delta V$  along the length of  $\Delta x$  of the channel.

$$I_d = \frac{2q\mu_n N_d W a}{\Delta x} \left[ 1 - \left( \frac{V_x - V_g}{V_p} \right)^{\frac{1}{2}} \right] \Delta V_x \quad 5$$

Rearranging and integrating

$$\frac{I_d}{2q\mu_n N_d W a} \int_0^l dx = \int_0^{V_d} \left[ 1 - \left( \frac{V_x - V_g}{V_p} \right)^{\frac{1}{2}} \right] \Delta V_x$$

Integrating

$$I_d = G_0 \left[ V_d - \frac{2}{3} V_p \left( \frac{V_d + V_g}{V_p} \right)^{3/2} + \frac{2}{3} V_p \left( \frac{V_g}{V_p} \right)^{3/2} \right] \quad 6$$

This is valid before Pinch off

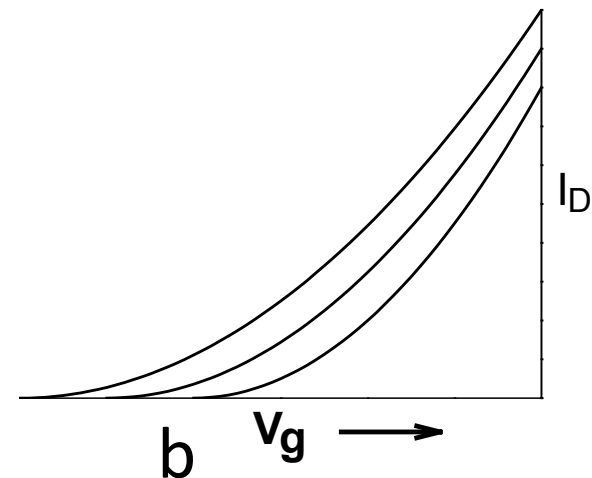
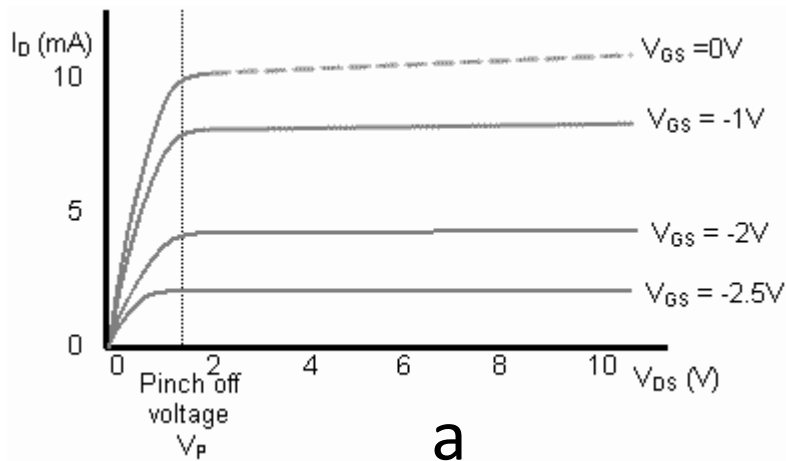
Pinch off voltage in this case may be obtained from equation (6) by imposing  $di_d/dV_d = 0$

We then obtain  $V_p = V_d + V_g$  7

Saturation drain current may be obtained from equation (6) by imposing equation (7) on it.

We can get

$$I_d = G_0 \left\{ (V_p / 3) - V_g \left[ 1 - (2/3)(V_g / V_p)^{1/2} \right] \right\} \quad 8$$



Static characteristics of a JFET for larger drain voltage

(a) Drain characteristic

(b) Transfer characteristics